

# Effect of Microscopic Stress and Strain on Mechanical Properties of Ti-6Al-2Zr-1Mo-1V Alloy

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**Abstract:** Analysis of the effect of constituent phases on mechanical properties is critical to the design of microstructure of titanium alloys. For this reason, the microscopic stress and strain in soft primary  $\alpha$  ( $\alpha_p$ ) and hard transformed  $\beta$  matrix ( $\beta_t$ ) were quantitatively analyzed by a microstructure-based finite element model to determine their effect on strength and ductility of Ti-6Al-2Zr-1Mo-1V alloy. The results show that microscopic stress in both  $\alpha_p$  and  $\beta_t$  shows a normal distribution. The peak stress and stress peak height of  $\beta_t$  are much larger than those of  $\alpha_p$ . While,  $\alpha_p$  has large peak strain and  $\beta_t$  has large strain peak height. As  $\alpha_p$  volume fraction decreases from 49% to 12%, the contribution of  $\beta_t$  to ultimate tensile strength (UTS) and failure strain (FS) of the alloy increases from 59% to 91% and 36% to 75%, respectively. However, as the contribution of  $\beta_t$  increases, UTS of the alloy increases by 17% and FS decreases by 21%. This finding quantitatively reveals the effect of constituent phases on strength and ductility and provides a basis to the design of microstructure of titanium alloys.

**Key words:** microscopic stress and strain; constituent phases; mechanical properties; titanium alloys; finite element simulation

Titanium alloys are often used to produce key bearing components in aviation and aerospace industries due to their excellent mechanical properties<sup>[1,2]</sup>. Microstructural design is an effective way to obtain high performance titanium alloys, since size, volume fraction, morphology and mechanical property of each constituent phase in the alloys can be changed significantly through various thermomechanical processing<sup>[3,4]</sup>. However, during deformation of titanium alloy, the constituent phases interact with each other in a complicated manner due to their complex and diverse parameters, which makes it difficult to determine the contribution of each constituent phase to the overall properties and to design the microstructure of titanium alloys. Microscopic stress and strain are the comprehensive response of the deformation and interaction of various constituent phases, which determine the mechanical properties of titanium alloys<sup>[5]</sup>. Therefore, quantitative analysis of microscopic stress and strain is an effective way to determine the contribution of each constituent phase to the properties of titanium alloys.

By now, many efforts have been devoted to investigate the

microscopic strain in titanium alloys by experimental methods. In-situ X-ray diffraction<sup>[6]</sup> and neutron diffraction<sup>[7,8]</sup> experiments show that significant strain partitioning is formed between  $\alpha$  and  $\beta$  phases during deformation of titanium alloys. However, these methods have no information about strain distribution. Microscopic strain is considered to be unevenly distributed in each phase, which has a significant effect on the ductility of materials<sup>[9]</sup>. Digital image correlation technique<sup>[10]</sup> and sampling moiré method<sup>[11]</sup> reveal that microscopic deformation heterogeneity is established early in the plastic regime and damage formation site and final failure of Ti-6Al-4V are controlled by the microstructural strain localization.

Recently, a microstructure-based finite element approach is used to investigate the microscopic deformation of material<sup>[12,13]</sup>. It is found that soft primary  $\alpha$  ( $\alpha_p$ ) phase tends to concentrate plastic strain and stress will be localized in hard transformed  $\beta$  matrix ( $\beta_t$ ) and stress gradients exist in both  $\alpha$  and  $\beta$  phases<sup>[14,15]</sup>. The microstructure-based finite element models also show that microscopic stress and strain localization occurs due to incompatible deformation between

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$\alpha_p$  and  $\beta_t$  which can be modified by tailoring microstructural parameters. Fine  $\alpha$  particles may induce more homogeneous deformation in  $\beta$  phase than coarse  $\alpha$  particles<sup>[16]</sup>. The degree of strain localization will be decreased by decreasing the disparity of strength between  $\alpha_p$  and  $\beta_t$ <sup>[17]</sup> or changing the morphologies of  $\alpha$  from lamellar to equiaxed<sup>[18]</sup>.

In this paper, based on the scanning electron micrograph (SEM), a real microstructure-based finite element model for Ti-6Al-2Zr-1Mo-1V (TA15) alloy was developed to investigate the microscopic stress and strain in  $\alpha_p$  and  $\beta_t$  during deformation. Both the microscopic stress and strain were characterized quantitatively and their relative contributions to the properties of TA15 alloy were studied. It will deepen the understanding of the effect of microstructure on properties and provide a basis for microstructural design of the titanium alloys.

### 1 Microstructure-based Finite Element Modeling

In order to investigate the microscopic stress and strain in constituent phases with different parameters, the microstructures of TA15 samples were changed using different heat treatment routes (S12, S22, and S49), as listed in Table 1. The microstructures observed by VEGA TESCAN scanning electron microscope are shown in Fig.1. As shown in Fig.1, the microstructures contain equiaxed  $\alpha_p$  particles embedded in  $\beta_t$  matrix. The size and volume fraction ( $V_{\alpha_p}$ ) of  $\alpha_p$  increase with decreasing first heat treatment temperatures (listed in Table 1). Two different thicknesses of  $\alpha$  plates within  $\beta_t$  which are secondary and tertiary  $\alpha$ <sup>[19]</sup> are obtained after the heat treatments. The thickness variation of  $\alpha$  plates will change the hardness of  $\beta_t$ .

The microstructures in Fig.1 are used to develop the representative volume elements (RVE) of the microstructure-based finite element models. The modeling procedure is shown in Fig.2. The SEM image is first binarized to distinguish  $\alpha_p$  and  $\beta_t$ . The boundary lines of  $\alpha_p$  are converted from raster to vector form and then input into Abaqus to define the geometry structure of the RVE. Two-dimensional plane stress elements, CPS3, are used to simulate the uniaxial tension of the TA15 alloy sheet samples. Periodic boundary conditions are applied on the boundary of RVE. The constitutive model of

$\beta_t$  is determined by reversely analyzing indentation load-depth curves and the constitutive model of  $\alpha_p$  is obtained by analyzing its strengthening mechanism<sup>[17]</sup>. In the simulation,  $\alpha_p$  and  $\beta_t$  are treated as two distinct microstructural units and the boundary between them is assumed to be perfect bonding. After simulation, the microscopic stress and strain in constituent phases can be obtained directly and the stress-strain curve of the alloy is obtained by homogenization method.

The predicted and experimental stress-strain curves of the uniaxial tension of the TA15 alloy samples are shown in Fig.3. As shown in Fig.3, the predicted results are in good agreement with the experimental results. So, it can be concluded that the developed models have the intrinsic ability to capture mechanical response of the alloy. The predicted ultimate tensile strength (UTS) and failure strain (FS) of TA15 titanium alloy samples are shown in Table 1. The UTS increases from 941 MPa to 1098 MPa and the FS decreases from 15.8% to 12.5% with decreasing the volume fraction of  $\alpha_p$ . It should be noted that FS is predicted using the plastic strain localization theory<sup>[13]</sup>. This theory predicts the ductile failure as a natural outcome of plastic strain localization induced by microstructure-level inhomogeneity and has well predicted the failure of titanium alloys<sup>[20]</sup> and other alloys<sup>[21]</sup>.

## 2 Results and Discussion

### 2.1 Microscopic stress distribution

With the microstructure-based finite element model established, the microscopic stress and strain in  $\alpha_p$  and  $\beta_t$  during

**Table 1 Heat treatment routes of TA15 alloy samples and corresponding microstructure and property parameters**

Samples	Processing routes	Size/ $\mu\text{m}$	$V_{\alpha_p}/\%$	UTS/MPa	FS/%
S12	975 °C/20 min/AC +950 °C/20 min/WQ	11.34	12	1098	12.5
S22	965 °C/20 min/AC +940 °C/20 min/WQ	12.32	22	1040	14.8
S49	910 °C/20 min/AC +885 °C/20 min/WQ	14.36	49	941	15.8

AC-air cooling; WQ-water quenching

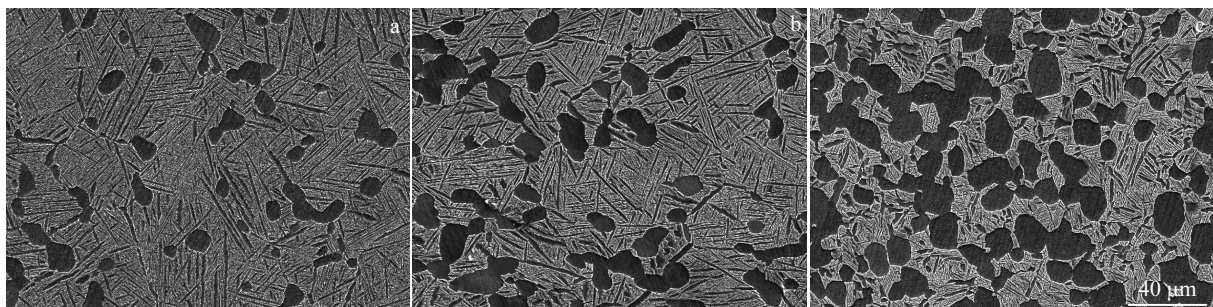


Fig.1 Microstructures of samples under different processing routes: (a) S12, (b) S22, and (c) S49

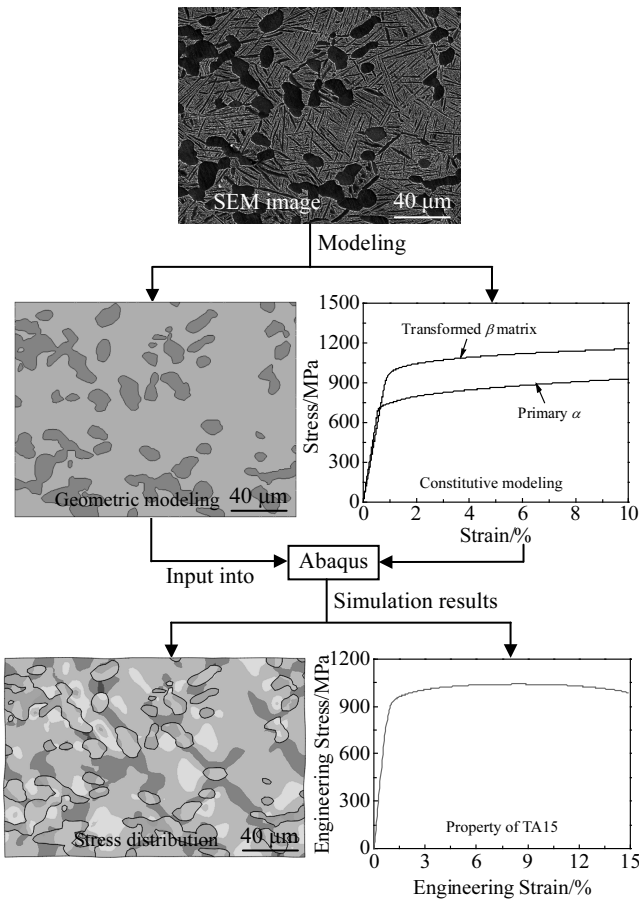


Fig.2 Procedure for microstructure-based finite element modeling

deformation of TA15 alloy were investigated. Fig.4 shows the distribution of equivalent stress in the RVEs with different volume fractions of  $\alpha_p$  under UTS of the alloy. As shown in Fig.4a~4c,  $\beta_t$  generally undertakes larger stress than  $\alpha_p$ . The distribution of microscopic stress is extremely complex in both  $\alpha_p$  and  $\beta_t$  due to the inhomogeneous microstructure. Stress localized bands in  $\beta_t$  are distributed along the slant direction.  $\alpha_p$  along the direction of  $\beta_t$  localized bands has relatively large stress due to large interaction between  $\alpha_p$  and  $\beta_t$ . As the volume fraction of  $\alpha_p$  increases, stress values in  $\beta_t$  decrease rapidly.

In order to have a more thorough understanding of the microstress, the stress histograms of  $\alpha_p$  and  $\beta_t$  corresponding to Fig.4a~4c are given in Fig.4d~4f, respectively. As shown in Fig.4d~4f, the microstress in both  $\alpha_p$  and  $\beta_t$  shows a normal

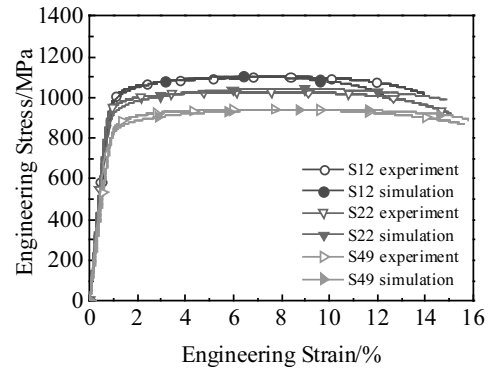


Fig.3 Predicted and experimental stress-strain curves

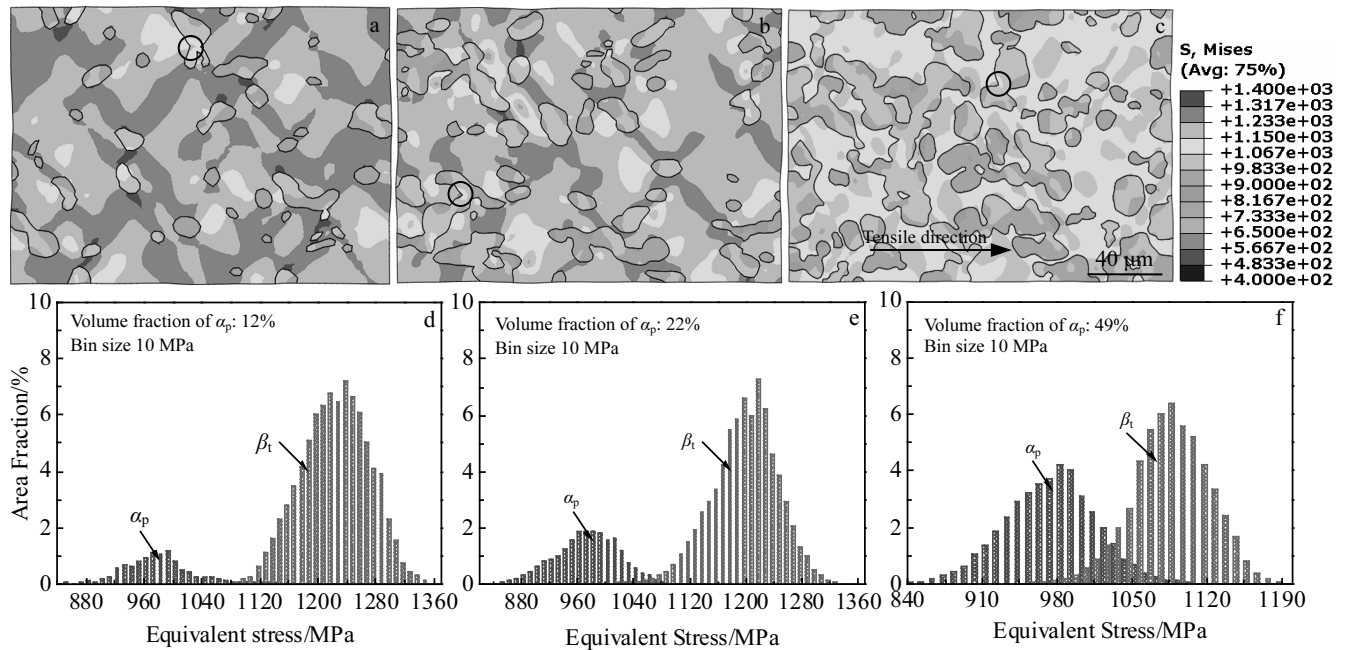


Fig.4 Distribution of equivalent stress (a~c) and corresponding stress histogram (d~f) of the RVEs under UTS condition with different  $\alpha_p$  volume fractions: (a, d) 12%, (b, e) 22%, and (c, f) 49% (circles in Fig.4a~4c indicate the local high stress regions)

distribution with different peak heights and peak stresses. In the case of  $\alpha_p$ , peak height increases from about 1.1% to 4.2% and peak stress varies slightly as the volume fraction of  $\alpha_p$  increases. In the case of  $\beta_t$ , the peak height decreases slightly and the peak stress decreases from about 1240 MPa to 1080 MPa as the volume fraction of  $\alpha_p$  increases. While, the peak height and peak stress of  $\beta_t$  are much larger than those of  $\alpha_p$ . The larger peak height and peak stress indicate that more  $\beta_t$  undertakes larger load. Therefore, the results indicate that  $\beta_t$  contributes more to the UTS of the alloy.

The local stress has an important effect on the mechanical properties of titanium alloy. As shown in Fig.4, local high stress can be found at  $\alpha$  side of  $\alpha/\beta$  interfaces (indicated by circle in Fig.4a~4c). There are two reasons for local high stress. On the one hand, heterogeneity of the microstructure leads to the local stress during the deformation of titanium alloy. On the other hand, phase transformation can also lead to local stress. During formation process of microstructure,  $\alpha_p$  may not keep Burgers OR with  $\beta$  phase<sup>[22,23]</sup>. Dislocations will pile up at  $\alpha/\beta$  phase boundary and the dislocation density increases with the misorientation between two adjacent phases<sup>[24]</sup>. This dislocation was found in  $\alpha_p$  and gathered along their boundary after heat treatment of titanium alloy<sup>[25]</sup>. The accumulation of dislocation causes transformation stress. This transformation stress combined with the deformation stress at the  $\alpha_p$  boundary leads to void formation and failure of the alloy. Fig.4a~4c show that the local stress is more significant in the microstructure with lower  $\alpha_p$  volume fraction. Therefore, failure strain of the alloy decreases with decreasing the volume fraction of  $\alpha_p$ .

**2.2 Microscopic strain distribution**

Fig.5 shows the distribution of equivalent strain in the RVEs with different volume fractions of  $\alpha_p$  under FS of the alloy. As shown in Fig.5a~5c,  $\alpha_p$  undertakes larger strain than  $\beta_t$ . Strain localized bands in  $\beta_t$  always pass through  $\alpha_p$  along slant direction. Comparing Fig.5a~5c and Fig.4a~4c, it can be found that the location of microscopic stress and strain localized bands is consistent since high stress regions are always high strain regions in each phase.

The strain histograms corresponding to Fig.5a~5c are displayed in Fig.5d~5f, respectively. As shown in Fig.5d~5f, with increasing the  $\alpha_p$  volume fraction, peak height of  $\alpha_p$  increases, whereas the peak strain decreases from about 0.21 to 0.15. In the case of  $\beta_t$ , the peak height decreases, while the peak strain slightly increases with increasing the  $\alpha_p$  volume fraction. From Fig.5d~5f, it can also be seen that  $\alpha_p$  has large peak strain, while  $\beta_t$  has large peak height. So, it is difficult to compare the contribution of  $\alpha_p$  and  $\beta_t$  to the FS of the alloy.

**2.3 Contribution of microscopic stress and strain to properties of TA15 alloy**

The contribution of  $\alpha_p$  and  $\beta_t$  to the UTS and FS of the alloy can be quantitatively evaluated by the ratio of average stress and strain between each constituent phase and RVEs, as defined below:

$$C_{iUTS} = \sigma_i / \sigma_R \tag{1}$$

$$C_{iFS} = \varepsilon_i / \varepsilon_R \tag{2}$$

where  $C_{iUTS}$  and  $C_{iFS}$  are the contribution of the  $i$ -th constituent phases to the UTS and FS of the alloy, respectively. Here,  $i$ -th constituent phase means  $\alpha_p$  or  $\beta_t$ .  $\sigma_i$  and  $\varepsilon_i$  are the average stress and strain of the  $i$ -th constituent phases, respectively, which can be defined as:

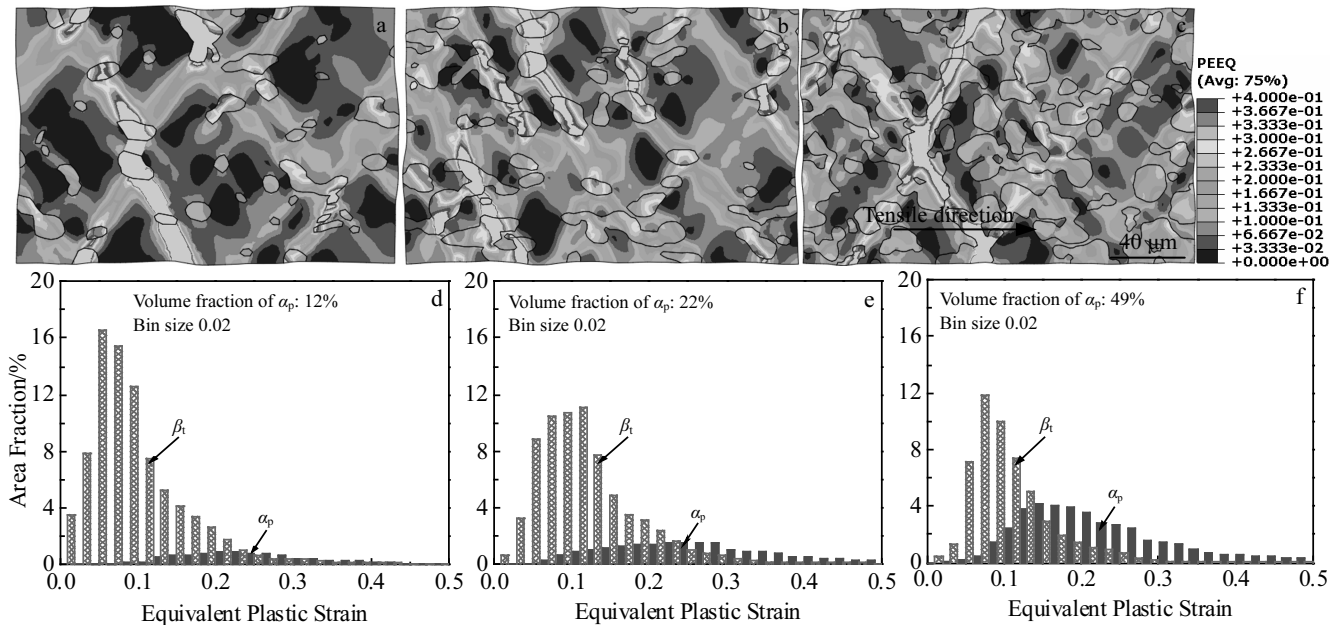


Fig.5 Distribution of equivalent strain (a~c) and corresponding strain histogram (d~f) of the RVEs under FS condition with different  $\alpha_p$  volume fractions: (a, d) 12%, (b, e) 22%, and (c, f) 49%

$$\sigma_i = \sum_{w=1}^n \sigma_{iw} A_{iw} \quad (3)$$

$$\varepsilon_i = \sum_{w=1}^n \varepsilon_{iw} A_{iw} \quad (4)$$

where  $\sigma_{iw}$ ,  $\varepsilon_{iw}$  and  $A_{iw}$  are the stress, strain and area fraction of  $w$ -th bin (Fig.4d~4f and Fig.5d~5f) in the  $i$ -th constituent phases, respectively. The average stress and strain of RVEs,  $\sigma_R$  and  $\varepsilon_R$ , can be simply obtained by:

$$\sigma_R = \sigma_{\alpha_p} + \sigma_{\beta_t} \quad (5)$$

$$\varepsilon_R = \varepsilon_{\alpha_p} + \varepsilon_{\beta_t} \quad (6)$$

where  $\sigma_{\alpha_p}$  and  $\sigma_{\beta_t}$  are the average stress of  $\alpha_p$  and  $\beta_t$ , and  $\varepsilon_{\alpha_p}$  and  $\varepsilon_{\beta_t}$  are the average strain of  $\alpha_p$  and  $\beta_t$ , respectively.

Fig.6 shows the calculated contribution of  $\alpha_p$  and  $\beta_t$  to UTS and FS of the alloy. The calculated results for the RVEs with 33% and 43%  $\alpha_p$  (not shown in this study for brevity) are included in Fig.6. As shown in Fig.6a, the contribution of  $\alpha_p$  to UTS is always less than that of  $\beta_t$  to UTS. As the  $\alpha_p$  volume fraction decreases from 49% to 12%, the contribution of  $\beta_t$  to UTS of the alloy increases from 59% to 91% and the contribution of  $\alpha_p$  to UTS decreases from 41% to 9%. Fig.6 also shows the volume fraction of  $\alpha_p$  and  $\beta_t$  at different heat treatment temperatures. Assuming that volume fraction is another indicator that represents the contributions of  $\alpha_p$  and  $\beta_t$  and is named as volume contribution to be distinguished from the calculated stress and strain contribution. It can be seen from Fig.6a that the stress contribution is less than volume contribution for  $\alpha_p$  and the situation for  $\beta_t$  is just opposite. The stress contribution couples the effect of various microstructural parameters, such as property, size, morphology and volume fraction. Therefore, the effect of these microstructural parameters makes the stress contribution different from the volume contribution. However, it can be seen from Fig.6a that these parameters lead to a small difference between stress contribution and volume contribution.

Fig.6b shows the contribution of  $\alpha_p$  and  $\beta_t$  to FS of the alloy. As shown in Fig.6b, the contribution of  $\beta_t$  to FS of the alloy increases from 36% to 75% and the contribution of  $\alpha_p$  to FS decreases from 64% to 25% as the  $\alpha_p$  volume fraction decreases from 49% to 12%. At lower  $\alpha_p$  volume fraction, the contribution of  $\beta_t$  to FS is even greater than that of  $\alpha_p$  to FS. This is because the peak height of strain distribution of  $\beta_t$  is much higher than that of  $\alpha_p$  (Fig.5d and 5e). Besides, it can be seen from Fig.6b that the strain contribution is much higher than volume contribution for  $\alpha_p$  and the situation for  $\beta_t$  is also just opposite. This large difference which is also caused by various microstructural parameters indicates that FS is more sensitive to microstructural parameters than UTS.

It is of important engineering significance to simultaneously increase the strength and ductility of structural materials [26]. From above analysis, it can be seen that the contribution of  $\alpha_p$  to UTS and FS simultaneously decreases and the contribution of  $\beta_t$  to UTS and FS concurrently increases as  $\alpha_p$  volume

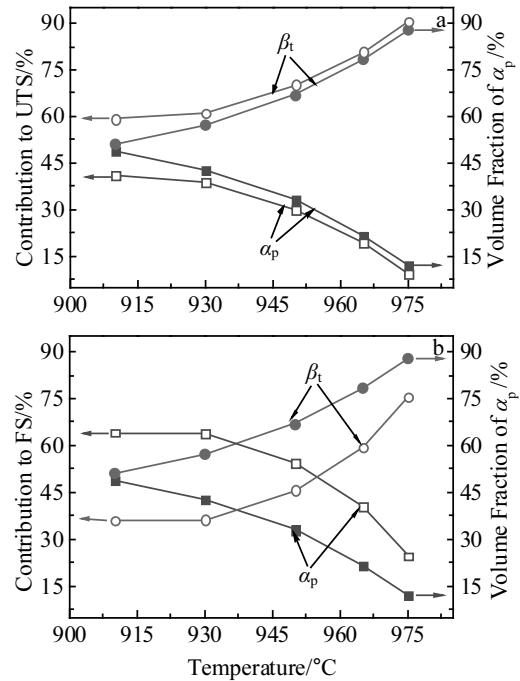


Fig.6 Contribution of the microstructural constituents to UTS (a) and FS (b) of TA15 alloy

fraction decreases. However, as  $\alpha_p$  decreases from 49% to 12%, UTS of the alloy increases by 17% and FS decreases by 21% (UTS and FS are in Table 1). This means that it cannot concurrently increase UTS and FS of the alloy by increasing the contribution of  $\beta_t$  or decreasing contribution of  $\alpha_p$  through decreasing  $\alpha_p$  volume fraction. It should be noted here that the variation of  $\alpha_p$  volume fraction involves the change of size and morphology of the constituent phases since it is difficult to only change  $\alpha_p$  volume fraction and to remain other microstructural parameters unchanged in real microstructure. There are some other microstructural parameters, such as property and size that can be used to optimize the properties of the alloy. In these parameters, only increasing the strength of hard phase (i.e.  $\beta_t$ ) cannot increase both the UTS and FS of the alloy, since increasing the strength of  $\beta_t$  can increase the UTS of alloy, but shifts the strain distribution of both  $\alpha_p$  and  $\beta_t$  to low strain<sup>[27]</sup> and decreases the FS of the alloy. Increasing the strength of soft phase (i.e.  $\alpha_p$ ) may increase the UTS and FS at the same time, since increasing the strength of  $\alpha_p$  can help to improve the UTS and concurrently lead to FS improvement because strain distribution of  $\alpha_p$  and  $\beta_t$  may be more homogeneous. Besides, grain refinement is a generally used method to improve the UTS and FS of alloys<sup>[28]</sup>. Grain refinement can increase the uniformity of strain distribution in  $\alpha_p$  and  $\beta_t$  and thus increase the FS of alloy<sup>[29]</sup>. Moreover, grain refinement is accompanied by an increase in strength due to Hall-Patch effect, therefore increasing the UTS of the alloy.

### 3 Conclusions

1) Microscopic stress in both  $\alpha_p$  and  $\beta_t$  shows a normal distribution. The peak stress and stress peak height of  $\beta_t$  are much larger than those of  $\alpha_p$ . While,  $\alpha_p$  has large peak strain and  $\beta_t$  has large strain peak height.

2) As  $\alpha_p$  volume fraction decreases from 49% to 12%, the contribution of  $\beta_t$  to UTS and FS increases from 59% to 91% and 36% to 75%, respectively. However, as the contribution of  $\beta_t$  increases, UTS of TA15 alloy increases by 17% and FS decreases by 21%.

3) This finding establishes an accurate correlation between constituent phases and mechanical properties of TA15 alloy, and gives a quantitative method to design the microstructure of titanium alloys.

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## 微观应力和应变对 Ti-6Al-2Zr-1Mo-1V 合金力学性能的影响分析

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**摘要:** 分析组成相对钛合金力学性能的影响对组织设计极为重要。通过真实组织有限元模型分析了  $\alpha_p$  和  $\beta_t$  中的应力和应变, 并定量揭示了他们对 Ti-6Al-2Zr-1Mo-1V 钛合金强度和韧性的影响。结果表明,  $\alpha_p$  和  $\beta_t$  中的应力呈现正态分布。 $\beta_t$  的峰值应力和应力峰高远大于  $\alpha_p$ 。然而,  $\alpha_p$  具有较大的峰值应变,  $\beta_t$  具有较大的应变峰高。随着  $\alpha_p$  体积分数从 49%降低到 12%,  $\beta_t$  对抗拉强度的贡献从 59%增加到 91%, 对失效应变的贡献从 36%增加到 75%。然而, 随着  $\beta_t$  贡献的增加, 合金抗拉强度增加了 17%, 失效应变降低了 21%。研究结果定量揭示了组成相对强度和韧性的贡献, 为钛合金组织设计提供了基础。

**关键词:** 微观应力和应变; 组成相; 力学性能; 钛合金; 有限元模拟

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